



NEWSPAPER LANDS  
BETW. B + C.

RANGE OF VALUES  
for  $V_0$ ?

$$A_y = 386 \frac{\text{in}}{\text{s}^2} = 32.2 \frac{\text{ft}}{\text{s}^2} \downarrow$$

Use pt. A as your ref. or ORIGIN  $\therefore \begin{cases} t_0 = 0, & x_0 = 0 \\ & y_0 = 0 \end{cases}$

CURVILINEAR MOTION

$$x_f = x_0 + v_{0x}t + \frac{1}{2}A_x t^2$$

$$y_f = y_0 + v_{0y}t + \frac{1}{2}A_y t^2$$

$$x_f = v_{0x}t$$

$$y_f = -\frac{1}{2}(32.2)t^2$$

at pt. B:  $y_f = -(48'' - 8'') = -\frac{1}{2}(386 \frac{\text{in}}{\text{s}^2})t^2$

$$-40'' \left[ \frac{-2}{386} \right] = t^2$$

$$t = 0.455 \text{ sec.}$$

SUB. INTO  $x_f = v_{0x}t$

$$\frac{7'}{0.455 \text{ sec.}} = v_{0x}$$

$$v_{0x} = 15.376 \frac{\text{ft.}}{\text{sec.}} \quad \text{TO REACH pt. B.}$$

at pt. C:  $y_f = -(48'' - 24'') = -\frac{1}{2}(386 \frac{\text{in}}{\text{s}^2})t^2$

$$-24 \left[ \frac{-2}{386} \right] = t^2$$

$$t = 0.353 \text{ sec.}$$

SUB. INTO  $x_f = v_{0x}t$

$$\left[ \frac{84'' + 14'' + 14'' + 36''}{0.353 \text{ sec.}} \right] = v_{0x} = 419.696 \frac{\text{in}}{\text{s}} = 34.97 \frac{\text{ft.}}{\text{sec.}}$$

$$v_{0y} = 35 \frac{\text{ft.}}{\text{sec.}} \quad \text{TO REACH pt. C}$$

Find WHEN, then the VELOCITY.

SHE MUST THROW BETW.  $15.376 \frac{\text{ft.}}{\text{sec.}}$  AND  $35 \frac{\text{ft.}}{\text{sec.}}$

FOR THE PAPER TO LAND BETW. B + C.