Step.1.

The truss is not symmetrical and the loading is not symmetrical so you must do the work.

$$\sum M_A = 0 = -(2\text{kN})(4\text{m}) - (2\text{kN})(8\text{m}) - (1.75\text{kN})(12\text{m}) - (1.5\text{kN})(15\text{m}) - (0.75\text{kN})(18\text{m}) + R_H(18\text{m})$$

$$R_H = \frac{8 + 16 + 21 + 22.5 + 13.5}{18 \text{ m}} = \frac{81 \text{ kNm}}{18 \text{ m}} = 4.5 \text{ kN}$$

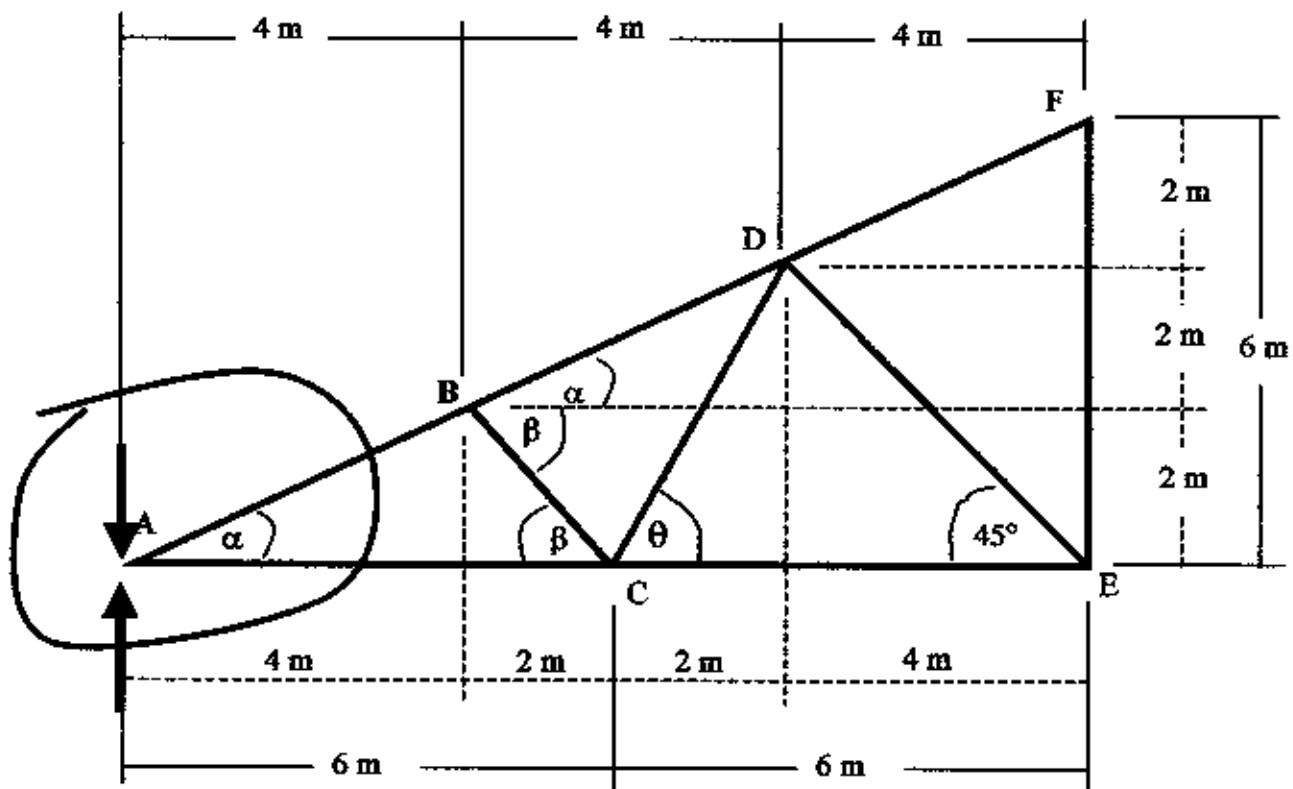
$$\sum F_y = 0 = -1 - 2 - 2 - 1.75 - 1.5 - 0.75 + R_A + R_H \quad \text{Therefore, } R_A = 4.5 \text{ kN}$$

Interesting that even though there is no symmetry, the reactions at the supports are equal.

Step.2.

Now begins the long, tedious process of the Joint Method analysis.

*Work out the geometry first. You'll need it for the components. See next sheet.*

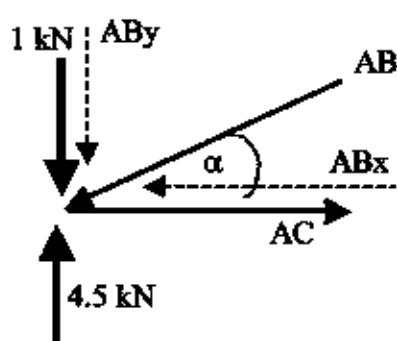


$$\alpha = \tan^{-1} \left( \frac{2}{4} \right) = 26.56^\circ \text{ therefore, } BD_x = BD \cos 26.56^\circ = .894 BD \\ \text{and } BD_y = BD \sin 26.56^\circ = .447 BD$$

$$\beta = \tan^{-1} \left( \frac{2}{2} \right) = 45^\circ \text{ therefore, } BC_x = BC \cos 45^\circ = .707 BC \\ \text{and } BC_y = BC \sin 45^\circ = .707 BC$$

$$\theta = \tan^{-1} \left( \frac{4}{2} \right) = 63.43^\circ \text{ therefore, } CD_x = BC \cos 63.43^\circ = .447 CD \\ \text{and } CD_y = CD \sin 63.43^\circ = .894 CD$$

### Jt. A

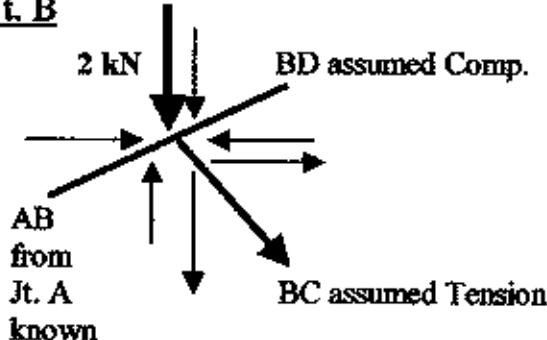


$$\sum F_y = 0 = -1 + 4.5 - AB \sin 22.56^\circ \\ AB = 3.5 / \sin 26.56^\circ = 7.83 \text{ kN (C)}$$

$$\sum F_x = 0 = AB \cos 26.56^\circ + AC \\ AC = (7.83) \cos 26.56^\circ = 7.00 \text{ kN (T)}$$

Carry this over to Jt. B

### Jt. B



AB components are  $\sin \alpha$  and  $\cos \alpha$   
 BC components are  $\sin \beta$  and  $\cos \beta$   
 BD components are  $\sin \alpha$  and  $\cos \alpha$

Don't forget the applied load.  
 And you'll need to solve the two equations simultaneously.

$$\sum F_x = 0 = AB \cos 26.56^\circ + BC \cos 45^\circ - BD \cos 26.56^\circ$$

$$7.00 = -.707 BC + .894 BD$$

$$\sum F_y = 0 = AB \sin 26.56^\circ - 2 \text{ kN} - BC \sin 45^\circ - BD \sin 26.56^\circ$$

$$(7.83) \sin 26.56^\circ - 2 = .707 BC + .447 BD$$

$$1.50 = .707 BC + .447 BD$$

Add these two equations and you eliminate BC as one unknown:

$$8.50 = 1.341 BD$$

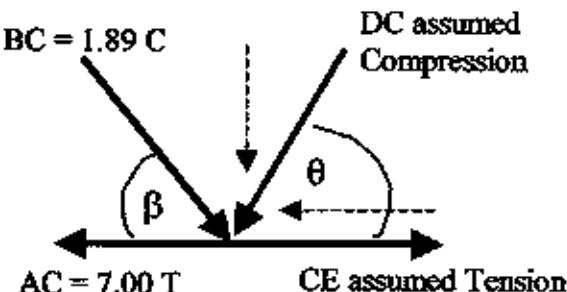
$$\text{Therefore, } BD = 6.34 \text{ kN (C)}$$

Back substitute into the first equation to find BC,

$$7.00 = -.707 BC + .894 (6.34 \text{ kN})$$

$$\text{Therefore, } BC = -1.89 = 1.89 \text{ kN (C)}$$

Carry this over to Jt. C



$$\sum F_y = 0 = -1.89 \sin 45^\circ - DC_y$$

$$DC = -(1.89)(.707) / (.894) = -1.5$$

$$\text{Therefore, } DC = 1.5 \text{ kN (T)}$$

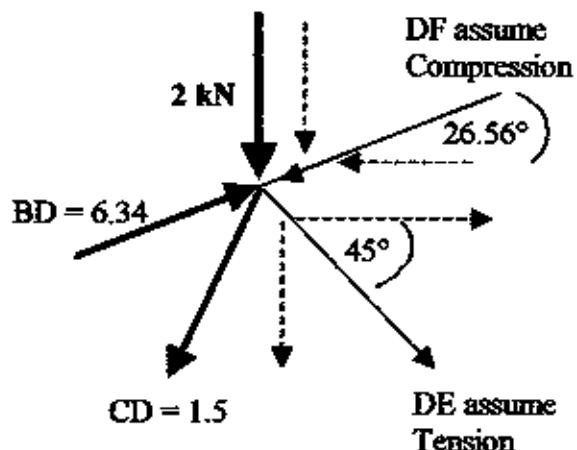
$$\sum F_x = 0 = -7 + 1.89 \cos 45^\circ + CE - DC_x$$

$$CE = 7 - (1.89)(.707) + (.447)(-1.5)$$

$$\text{Therefore, } CE = 5.00 \text{ kN (T)}$$

Continue and carry this over to Jt. D

### Jt. D



$$\begin{aligned}\sum F_x &= 0 = 6.34 \cos 26.56^\circ - 1.5 \cos 63.43^\circ \\ &\quad - DF \cos 26.56^\circ + DE \cos 45^\circ \\ 5.00 &= .894 DF - .707 DE\end{aligned}$$

$$\begin{aligned}\sum F_y &= 0 = -2 + 6.34 \sin 26.56^\circ - 1.5 \sin 63.43^\circ \\ &\quad - DF \sin 26.56^\circ - DE \sin 45^\circ \\ -.507 &= .447 DF + .707 DE\end{aligned}$$

Add these two equations to eliminate DE

$$\text{Therefore, } 4.493 = 1.341 DF$$

$$\text{Therefore, } DF = 3.35 \text{ kN (C)}$$

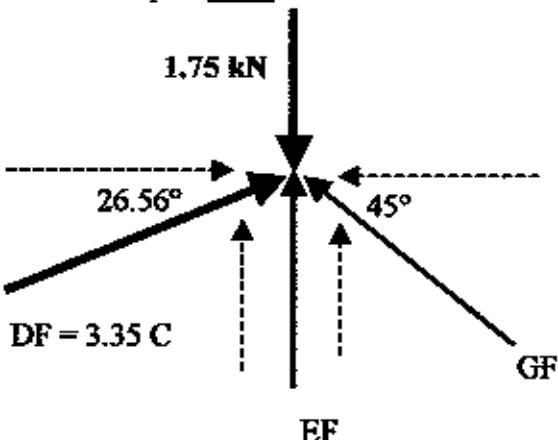
Back substitute in the first or second equation,

$$5.00 - .894(3.35) = -.707 DE$$

$$\text{Therefore, } DE = -2.83 \text{ opp.dir.}$$

$$\text{Therefore, } DE = 2.83 \text{ kN (C)}$$

### Move up to Jt. F



$$\begin{aligned}\sum F_x &= 0 = 3.35 \cos 26.56^\circ - GF \cos 45^\circ \\ 3.00 &= .707 GF \\ \text{Therefore, } GF &= 4.24 \text{ kN (C)}\end{aligned}$$

$$\begin{aligned}\sum F_y &= 0 = -1.75 + 3.35 \sin 26.56^\circ + \\ &\quad EF + GF \sin 45^\circ \\ EF &= 1.75 - 1.497 - (4.24)(.707) \\ \text{Therefore, } EF &= -2.745 \text{ opp. dir.} \\ \text{Therefore, } EF &= 2.75 \text{ (T)}\end{aligned}$$

Only 2 more joints to solve, then do a check for equilibrium at the last Jt. E.