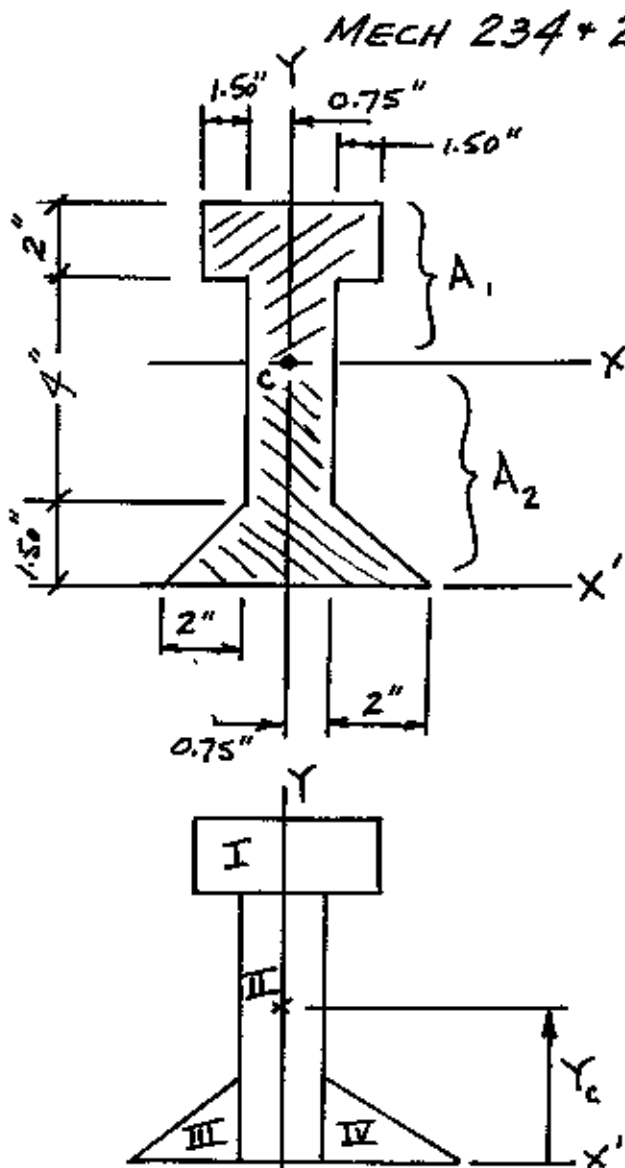


FIND FIRST MOMENT for
AREA A_1 + A_2
with respect to X-axis

SYMMETRY ABOUT Y-AXIS!

- ① NEED TO DETERMINE LOCATION OF CENTROID, C.
- ② SELECT A NEW AXIS, X' , TO USE AS REFERENCE
- ③ FIND CENTROID of ENTIRE GEOMETRY TO BE AT pt. C.

- DIVIDE THE COMPOSITE INTO SIMPLE SHAPES
- SET UP TABLE FOR AREAS & CENTROIDS
- COMPUTE THE DIST. FROM X' -AXIS TO CENTROID for COMPOSITE.



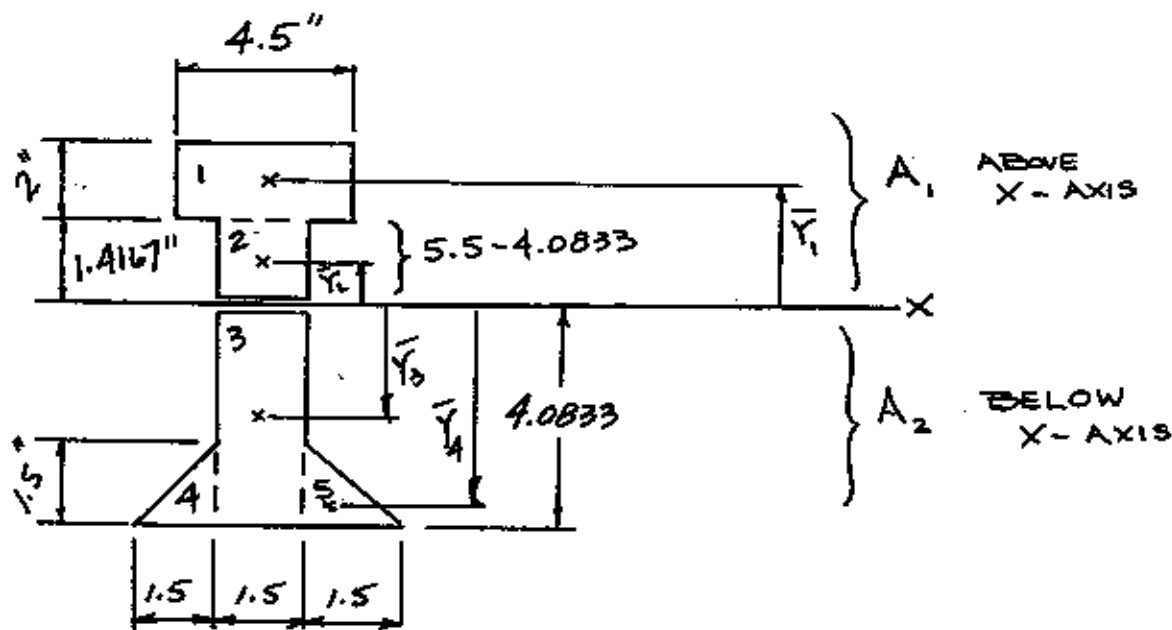
SECT.	AREA	\bar{Y}	$A\bar{Y}$
I	$(4.5)(2) = 9$	$1 + 4 + 1.5 = 6.5$	58.50 in^3
II	$(4.5)(5.5) = 8.25$	$\frac{1}{2}(4 + 1.5) = 2.75$	22.6875 in^3
III	$\frac{1}{2}(2)(1.5) = 1.5$	$\frac{1}{3}(1.5) = 0.5$	0.75 in^3
IV	$\frac{1}{2}(2)(1.5) = 1.5$	$\frac{1}{3}(1.5) = 0.5$	0.75 in^3
	$\Sigma A = 20.25$		$\Sigma = 82.6875 \text{ in}^3$

$$Y_c = \frac{\Sigma A\bar{Y}}{\Sigma A} = \frac{82.6875 \text{ in}^3}{20.25 \text{ in}^2} = 4.0833 \text{ in. above } X'$$

NOW REDO THE TABLE FOR A_1 ABOVE X-AXIS
AND A_2 BELOW X-AXIS.

SINCE PT. C IS AT THE "CENTER OF GRAVITY",
YOU SHOULD EXPECT THE FIRST MOMENTS TO
BE EQUAL, BUT OPPOSITE SIGNS, \therefore CANCEL.

PROB. 5.25 cont'd.



SECT.	AREA	\bar{Y}	$A\bar{Y}$
1	$(4.5" \times 2") = 9^{in^2}$	$1.4167" + 1" = 2.4167"$	21.7503 in^3
2	$(1.5" \times 1.4167") = 2.125$	$\frac{1}{2}(1.4167") = 0.7084"$	1.5052 in^3
FIRST MOMENT of $A_1 = \Sigma A\bar{Y} = 23.2555 \text{ in}^3$			

SECT.	AREA	\bar{Y}	$A\bar{Y}$
3	$(1.5" \times 4.0833") = 6.125^{in^2}$	$-\left[\frac{1}{2}(4.0833)\right] = -2.04165$	-12.5051 in^3
4	$\frac{1}{2}(2" \times 1.5") = 1.5^{in^2}$	$-4.0833 + \frac{1}{3}(1.5) = -3.5833$	-5.375 in^3
5	$\frac{1}{2}(2" \times 1.5") = 1.5^{in^2}$	$-4.0833 + \frac{1}{3}(1.5) = -3.5833$	-5.375 in^3
FIRST MOMENT of $A_2 = \Sigma A\bar{Y} = -23.255 \text{ in}^3$			