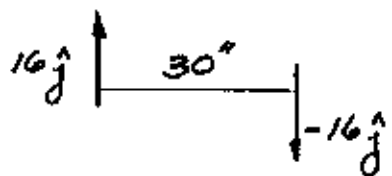


REPLACE THESE
TWO COUPLES WITH
ONE EQUIVALENT ONE.

$$M_{TOT} = M_{16\#} + M_{40\#}$$

16# FORCES ARE VERTICAL \therefore LD IS HORIZ. = 30"



$$M_{16\#} = (16\#)(30") \mathcal{Q} = 480 \text{ in lb } (-k)$$

$$\text{OR } (+30\hat{i}) \times (-16\hat{j}) = (-30\hat{i}) \times (+16\hat{j}) \\ = -480 \hat{k} \text{ in lb. } \checkmark$$

40# FORCES LIE IN AN OBLIQUE PLANE: $\hat{i}, \hat{j}, \hat{k}$

$$M_{40\#} = (\vec{r}_{AD} \times \vec{F}_{DE}) = (\vec{r}_{BE} \times \vec{F}_{DE}) = (\vec{r}_{DA} \times \vec{F}_{BA}) = (\vec{r}_{EB} \times \vec{F}_{BA})$$

$$\vec{r}_{AD} = 15\hat{i} - 10\hat{k}$$

$$\vec{F}_{DE} = 40\# \lambda_{DE} \quad \overline{DE} = +5\hat{j} - 10\hat{k}, \sqrt{5^2 + 10^2} = 11.18" \\ = 40 \left[\frac{5}{11.18} \hat{j} - \frac{10}{11.18} \hat{k} \right] = 17.89\hat{j} - 35.78\hat{k}$$

$$\begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ 15 & 0 & -10 \\ 0 & 17.89 & -35.78 \end{vmatrix} = \hat{i} [0 - (-10)(17.89)] - \hat{j} [(15)(-35.78) - 0] \\ + \hat{k} [(15)(17.89) - 0]$$

$$M_{40\#} = 178.9\hat{i} + 536.7\hat{j} + 268.35\hat{k} \text{ in lb. } \checkmark$$

$$M_{TOT} = \underbrace{178.9\hat{i}}_{\cos \theta_x} + \underbrace{536.7\hat{j}}_{\cos \theta_y} - \underbrace{211.65\hat{k}}_{\cos \theta_z} \text{ in lb.}$$

$$M_{TOT} = \sqrt{179^2 + 537^2 + 212^2} = \underline{604 \text{ in lb.}}$$

$$\theta_x = \cos^{-1} \frac{178.9}{604} = 72.8^\circ \\ \theta_y = 27.3^\circ \\ \theta_z = 110.5^\circ$$