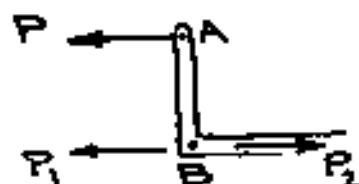




a.) REPLACE P WITH AN EQUIVALENT FORCE - COUPLE AT HINGE, B .



ADD EQUAL + OPP. FORCES $P_1 + P_2$ AT HINGE B .

$$P_1 = P_2 = P = 80 \text{ N.}$$



FORCE VECTORS $P + P_2$ CREATE A COUPLE.

$$M = (80 \text{ N.})(50 \text{ mm.}) = 4,000 \text{ N-mm.} = 4 \text{ N-m.}$$

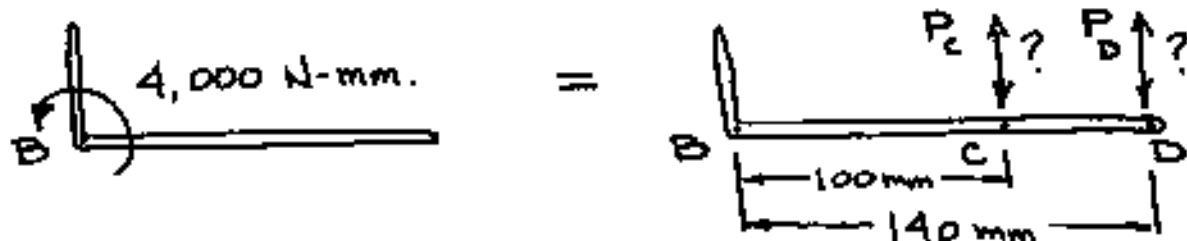


RESULT:

REMAINING FORCE VECTOR $P_1 = 80 \text{ N.}$ AT B

AND COUPLE, $M = 4,000 \text{ N-mm.}$

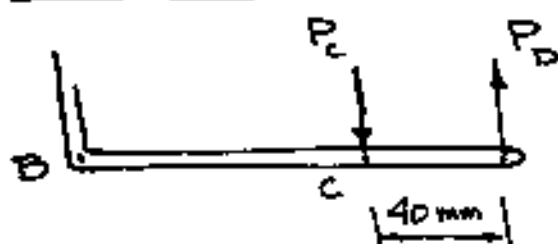
b.) WHAT TWO FORCES AT C AND D ARE EQUIVALENT TO COUPLE AT B ?



P_C and P_D MUST PRODUCE A MOMENT EQUIVALENT TO 4,000 N-mm CCW \curvearrowright

P_C and P_D NEED TO PRODUCE A COUPLE $\therefore P_C = -P_D$

PROB. 3.82 cont'd.



$$\sum F = 0 = -P_C + P_D$$

$$P_C + P_D$$

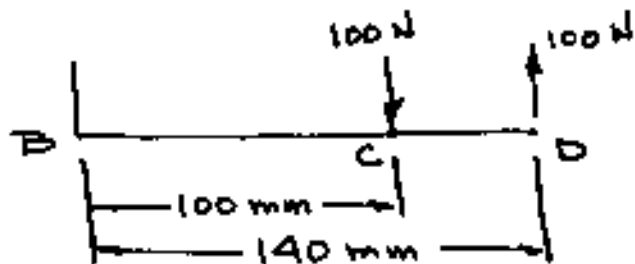
MUST BE EQUAL + OPP.

$$M = 4,000 \text{ N mm} \curvearrowright = P_D (40 \text{ mm}) \curvearrowright$$

$$100 \text{ N} = P_D$$

$$\therefore \boxed{P_D = 100 \text{ N} \uparrow \quad \text{and} \quad P_C = 100 \text{ N} \downarrow}$$

CHECK YOUR ANSWER! CCW \curvearrowright



THESE FORCES
NEED TO
PRODUCE A
CCW MOMENT
AT B

$$= 4,000 \text{ N mm.}$$

$$\begin{aligned} \sum M_B &= -100 \text{ N} (100 \text{ mm}) + 100 \text{ N} (140 \text{ mm}) \\ &= -10,000 + 14,000 \\ &= +4,000 \text{ N mm.} \quad \text{CCW} \quad \checkmark \end{aligned}$$